

6. Consider the following data on cocoa and lumber in Norway and Ghana where the data is production per time period. Assume that the production possibility frontier is linear. With no cocoa production, Norway can produce 90,000 board feet of lumber. With 3,000 kilograms of cocoa, Norway has no lumber production, etc.

| | Cocoa | Lumber |
|--------|-------|--------|
| Norway | 0 | 90,000 |
| Norway | 3,000 | 0 |
| Ghana | 0 | 50,000 |
| Ghana | 2,500 | 0 |

- Who has the absolute advantage in cocoa production?
- Who has the comparative advantage in lumber production?

| | Cocoa | Lumber |
|--------|--------|--------|
| Norway | lumber | cocoa |
| Ghana | lumber | cocoa |

- If each country produced 1,000 kilograms of cocoa and then each used their remaining resources for lumber production, what would total lumber production be?
- If Norway produced 500 kilograms of cocoa and Ghana produced 1,500 kilogram of cocoa, and each used their remaining resources for lumber production, what would total lumber production be?

8. The following table is for use with this question. The underlying production function is

$$y = 40x_1 + 10x_2 - x_1^2 + x_1x_2 - 2x_2^2$$

The price of x_1 is \$100 and the price of x_2 is \$20. The price of the output of the firm is \$5. The prices of inputs are given by w_1 and w_2 . MC is the marginal cost of output. APP_i is the average physical product of the i th input while MPP_i is the marginal physical product of the i th input.

| x_1 | x_2 | w_1 | w_2 | Output | Cost | MC | APP_1 | APP_2 | MPP_1 | MPP_2 |
|-------|-------|-------|-------|--------|------|--------|---------|---------|---------|---------|
| 7 | 4 | 100 | 20 | 287 | 780 | 3.333 | | | 30 | 6 |
| 7 | 5 | 100 | 20 | 291 | 800 | 3.357 | 41.571 | 58.200 | 31 | 2 |
| 7 | 6 | 100 | 20 | 291 | 820 | 3.357 | 41.571 | 48.500 | 32 | -2 |
| 9 | 5 | 100 | 20 | 349 | 1000 | 3.763 | 38.778 | 69.800 | 27 | 4 |
| 10 | 5 | 100 | 20 | 375 | 1100 | 4.000 | | | 25 | 5 |
| 11 | 5 | 100 | 20 | 399 | 1200 | 4.264 | 36.273 | 79.800 | 23 | 6 |
| 13 | 6 | 100 | 20 | 447 | 1420 | 5.000 | 34.385 | 74.500 | 20 | 4 |
| 13 | 7 | 100 | 20 | 449 | 1440 | 5.040 | 34.538 | 64.143 | 21 | 0 |
| 13 | 8 | 100 | 20 | 447 | 1460 | 5.000 | 34.385 | 55.875 | 22 | -4 |
| 14 | 7 | 100 | 20 | 469 | 1540 | 5.494 | 33.500 | 67.000 | 19 | 1 |
| 15 | 7 | 100 | 20 | 487 | 1640 | 6.030 | 32.467 | 69.571 | 17 | 2 |
| 16 | 7 | 100 | 20 | 503 | 1740 | 6.667 | 31.438 | 71.857 | 15 | 3 |
| 22 | 9 | 100 | 20 | 567 | 2380 | 20.000 | | | 5 | 1 |
| 20 | 9 | 100 | 20 | 553 | 2180 | 12.060 | 27.650 | 61.444 | 9 | -1 |
| 22 | 8 | 100 | 20 | 564 | 2360 | 17.056 | 25.636 | 70.500 | 4 | 5 |

- What is the average product of x_2 when $x_1 = 10$ and $x_2 = 5$?
- What is the average product of x_1 when $x_1 = 7$ and $x_2 = 4$?
- What is the least cost way to produce 287 units of output?
- Is the least cost way to produce 291 units of output contained in the table? If so, what are the input levels?
- Is the least cost way to produce 447 units of output contained in the table? If so, what are the input levels?
- How could one show the result in part e without using the cost column or computing the cost directly?
- What is the slope of the isoquant for $y = 447$ when $x_1 = 13$ and $x_2 = 8$?
- What is the profit maximizing level of output?
- What would be the least cost way to produce 375 units of output if $w_1 = 50$ and $w_2 = 10$?

9. Consider the the following perfectly competitive industry which produces dress shirts. The market demand in the industry is given by a linear demand function $Q^D = 400 - 2P$ where Q^D is the demand for dress shirts. The inverse demand is $P = 200 - \frac{1}{2} Q$. There are **16** identical manufacturers of dress shirts. Each manufacturer has the same production costs and there is only one size of plant for all firms. The long-run total and marginal cost functions are:

$$TC(q) = 100 + 10q + q^2$$

$$MC(q) = 10 + 2q.$$

- a. What is the supply equation for a firm in the industry?

- b. What will be the industry supply function?

- c. What will be the equilibrium price in this industry?

- d. How much will **each** firm produce?

- e. What will be the profits of each firm?

$$\pi = R - \text{Total Cost} = pq - [100 + 10q + q^2] =$$

- f. Will firms want to enter this industry?

- g. What will be the industry supply function if there are 72 firms in the industry?

- h. What will be the equilibrium price in this industry?

- i. How much will **each** firm produce?

j. What will be the profits of each firm?

k. Will firms want to enter this industry?

l. What can you say about the number of firms which will be in this industry in the long run?

The number of firms is greater than _____ and less than _____ >

m. What will be the industry supply function if there are 34 firms in the industry?

n. What will be the equilibrium price in this industry?

o. How much will *each* firm produce?

p. What will be the profits of each firm?

q. Will firms want to enter this industry?

12. What is the long run supply function for an industry made up of the firms in questions 10 and 11?

13. What is the short run supply function for an industry made up of the firms in questions 10 and 11?

14. Now consider the short run equilibrium in this market. Assume that industry demand is given by $Q^D = 27 - p$.

a. What is the short run equilibrium price in this market?

b. How much will *each* firm produce?

c. What are the Returns minus avoidable costs of *each* firm?

$$ROAvdC (\text{Firm 1}) = R_1 - \text{Avoidable Cost}_1 = py_1 - [8 + 8y_1 + 0.5y_1^2] =$$

$$ROAvdC (\text{Firm 2}) =$$

d. Will both firms stay in the market in the short run?

15. Now consider the long run equilibrium in this market. Assume that industry demand is given by $Q^D = 27 - p$.

a. What is the long run equilibrium price in this market if both firms continue to produce? (Answer is the same as 14a)

b. How much will each firm produce? (Answer is the same as 14b)

c. What are the profits of *each* firm?

$$\pi_1 = R_1 - \text{Total Cost}_1 = py_1 - [32 + 8y_1 + 0.5y_1^2] =$$

d. Will both firms stay in the market in the long run?

e. Find the competitive equilibrium market price by setting the supply equation for this firm equal to the market demand equation.

f. How much will this firm produce?

g. What will be the profits of the firm?

h. What is inverse demand for this market?

i. If the firm acts like a monopolist and sets marginal cost equal to marginal revenue how much will it produce?

j. What will be the market price?

k. What will be the profits of the firm?