



Causal Effects of Mental Health Conditions on Food Insecurity and the Role of SNAP

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MVEA 2018
Memphis, TN
November 2, 2018

Motivation

Mental health conditions affect many individuals:

- 18% of U.S. adults have suffered from mental illness

Studies find associations between:

- Depressive symptoms and food insecurity
- Mother's mental health problems and food insecurity

No research on **causal** impact of mental health on food security that accounts for:

- Misreporting of mental health status
- Role of SNAP in effects of mental illness

Methodological Challenge

Identifying **causal** effect of mental health is difficult:

- **Endogeneity**: same unobservables affect food security and mental health
 - OLS produces **inconsistent** estimates
- **Mismeasurement**: mental disorders are often misdiagnosed, survey instruments have flaws, underreporting due to stigma
 - Treatment variables are binary → measurement error is **nonclassical**
 - IV methods produce **inconsistent** estimates

Assessing whether SNAP mitigates effect of mental illness on food security is challenging because SNAP participation is **endogenous** and **misreported**

We develop partial identification methodology to quantify **joint effect** of **two** potentially mismeasured, endogenous treatments—mental illness and SNAP participation—on food security

National Health Interview Survey (NHIS)

- CDC's main source of info on health of U.S. civilian population
- Cross-sectional, nationally representative, 80% response rate
- Annual sample of 35,000 households containing 87,500 individuals

Core components of NHIS questionnaire:

- **Household**: demographics, geocodes (restricted access)
- **Family**: demographics, **food security**, program participation, health, injuries, healthcare use, health insurance
- **Sample adult** (one randomly selected adult per family): **psychological distress**, **mental health problems**, other aspects of health, healthcare services, health behaviors
- **Sample child** (one randomly selected child per family): health, healthcare services, health behaviors

NHIS also provides income measures

Analytical Sample

We pool linked sample adult–family records, NHIS 2011–2014:

- Sample adult is **18–64** years old (working age)
- Every family member is U.S. citizen
- Income \leq **130% of poverty** (gross income cutoff for SNAP)
- ***N* = 21,520**

Selected sample characteristics (weighted):

Variable	Mean	(Std.Dev.)
SNAP participation (indicator)	0.485	(0.500)
Income-to-poverty ratio	0.689	(0.372)
Child (age < 18) present	0.355	(0.479)
Sample adult's age (years)	37.05	(14.32)
Sample adult is male	0.436	(0.496)
Residence in large metro area	0.461	(0.498)

Food Security (FS) Indicators

NHIS includes **10-item** FS survey module:

- Referenced to **last 30 days**
- Family- and adult-specific questions; no child questions

We create two indicators of family's FS status:

- 1) **Food secure**: 1 if raw score ≤ 2 (high or marginal FS)
- 2) **Not very low food secure**: 1 if score ≤ 5 (absence of very low FS)

Descriptive statistics (weighted):

Indicator	Mean	(Std.Dev.)
Family is food secure	0.677	(0.468)
Family is not very low food secure	0.831	(0.375)

	SNAP subsample	Non-SNAP subsample	Difference
Food secure	0.574	0.775	-0.201***

Indicators of Psychological Distress

NHIS administers 6 questions underlying **Kessler (K-6) psychological distress scale**:

- How frequently in past 30 days you felt sad, nervous, restless, hopeless, that everything was an effort, worthless (5-point Likert answer scale)
- K-6 is standardized and validated measure of **nonspecific psychological distress** (CDC, 2013)

We follow McMorrow et al. (2016) and create indicators for:

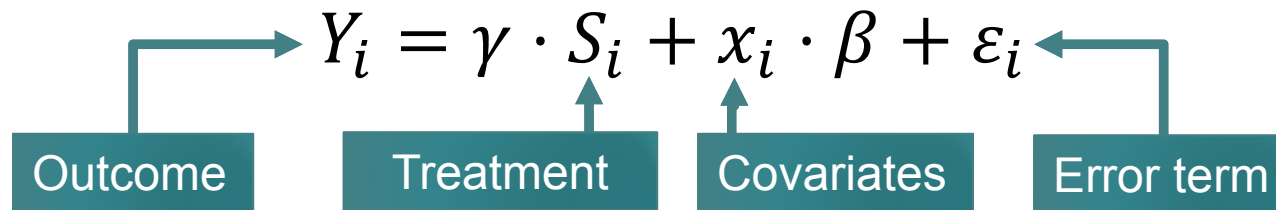
- 1) Sample adult in **severe distress**: 1 if K-6 scale ≥ 13 (max is 24)
- 2) Sample adult in **moderate or severe distress**: 1 if K-6 scale ≥ 8

Descriptive statistics (weighted):

Indicator	Mean	(Std.Dev.)
Adult is in severe distress	0.097	(0.296)
Adult is in moderate/severe distress	0.226	(0.418)

Motivation for Our Methodology

Parametric approach:



S_i is **binary**. For example, $S_i = 1$ if i is in distress, 0 if not

If same unobservables affect S_i and Y_i , then $cov(S_i, \varepsilon_i) \neq 0$ and OLS is inconsistent due to **endogeneity**

Measurement error in S_i is **nonclassical** \rightarrow IV estimator is inconsistent too

Our **nonparametric bounding** methodology handles endogeneity and misreporting. We also develop methods to handle multiple treatments (not just one binary S_i): e.g., treatment = {in distress, on SNAP}

Our Approach: Setup

$H^* = 1$ if adult is truly in distress, 0 otherwise; H is self-reported measure of H^*

We assess **average treatment effect (ATE)** of distress on food security:

$$ATE(1, 0 | X) = P[Y(H^* = 1) = 1 | X] - P[Y(H^* = 0) = 1 | X]$$

$Y = 1$: family is food secure, $Y = 0$: insecure

$Y(H^* = 1)$ indicates **potential** food security outcome if adult were to be in distress. $Y(H^* = 0)$ denotes potential outcome if adult were not in distress

X specifies subpopulation of interest. Say, families with income $\leq 130\%$ of poverty, comprised of U.S. citizens, sample adult aged 18–64

Not a regression framework: X are not regressors, no regression error term here, no orthogonality conditions to satisfy

Decomposition Strategy

ATE cannot be point-identified without assumptions **even if** $H^* = H$

We decompose every formula into what is and isn't identified

Simplify notation: $ATE = P[Y(1) = 1] - P[Y(0) = 1]$

Consider decomposition:

$$P[Y(1) = 1] = \underbrace{P[Y(1) = 1 | H^* = 1]}_{\text{identified}} \underbrace{P(H^* = 1)}_{\text{identified}} + \underbrace{P[Y(1) = 1 | H^* = 0]}_{\text{not identified}} \underbrace{P(H^* = 0)}_{\text{identified}}$$

Data cannot identify $P[Y(1) = 1 | H^* = 0]$ because it refers to unobserved **counterfactual**. We only know $P[Y(1) = 1 | H^* = 0] \in [0, 1]$

Using methods of Manski (1995), we can still find worst-case bounds for $P[Y(1) = 1]$, $P[Y(0) = 1]$, and ATE

Addressing Misreporting

$$\begin{aligned}P[Y(1) = 1] &= P(Y = 1, H^* = 1) + P[Y(1) = 1 \mid H^* = 0]P(H^* = 0) \\&= P(Y = 1, H = 1) + \theta_1^- - \theta_1^+ + P[Y(1) = 1 \mid H^* = 0]P(H^* = 0)\end{aligned}$$

$$\theta_1^- \equiv P(Y = 1, H = 0, H^* = 1), \quad \theta_1^+ \equiv P(Y = 1, H = 1, H^* = 0)$$

Sharp **bounds** on ATE:

$$\begin{aligned}P(Y = 1, H = 1) - P(Y = 1, H = 0) - P^* + 2(\theta_1^- - \theta_1^+) \\ \leq ATE \leq\end{aligned}$$

$$P(Y = 1, H = 1) - P(Y = 1, H = 0) + (1 - P^*) + 2(\theta_1^- - \theta_1^+)$$

where $P^* \equiv P(H^* = 1)$

Tightening Bounds

Without assumptions, ATE bounds are “too” **wide**

To tighten them, we can:

- Use logical constraints on probabilities and auxiliary (validation) data to restrict θ 's
- Apply “**no false positive**” assumption $\rightarrow \theta_1^+ = \theta_0^+ = 0$
- Impose restrictions on selection process:
 - Monotone treatment selection (**MTS**)
 - Monotone instrumental variable (**MIV**)
 - Monotone treatment response (**MTR**)

By layering assumptions we show how they shape inference

Bounds under Endogenous Selection

		Self-reported prevalence rate: $P^* = P = 0.235$			10% Underreporting of true prevalence rate: $P^* = 1.1P = 0.258$				
Endogenous selection			LB	UB	width		LB	UB	width
(a) Arbitrary errors	p.e.		[-0.912,	0.558]	1.469		[-0.935,	0.581]	1.516
	CI		[-0.919	0.567]			[-0.942	0.590]	
(b) No false positives	p.e.		[-0.710,	0.290]	1.000		[-0.734,	0.313]	1.047
	CI		[-0.716	0.296]			[-0.739	0.319]	

Point estimates of the population bounds.

Imbens-Manski 95% confidence intervals around the true ATE.

Monotonicity Assumptions

Monotone treatment selection (MTS):

$$P[Y(j) = 1 \mid H^* = 1] \leq P[Y(j) = 1 \mid H^* = 0], j = 0, 1$$

Monotone instrumental variable (MIV):

Let v be **income-to-poverty ratio**. Higher v wouldn't harm food security:

$$u_1 \leq u \leq u_2 \Rightarrow \\ P[Y(j) = 1 \mid v = u_1] \leq P[Y(j) = 1 \mid v = u] \leq P[Y(j) = 1 \mid v = u_2]$$

Monotone treatment response (MTR):

Poor mental health would not improve food security on average:

$$P[Y(1) = 1 \mid H^* = h] \leq P[Y(0) = 1 \mid H^* = h], h = 0, 1$$

Bounds under MTS+MIV+MTR

		Self-reported prevalence rate: $P^* = P = 0.235$			10% Underreporting of true prevalence rate: $P^* = 1.1P = 0.258$		
MTS + Food Density MIV + MTR:		LB	UB	width	LB	UB	width
(a) Arbitrary errors	p.e.	[-0.852, -0.142]		0.710	[-0.855, -0.142]		0.713
	CI	[-0.894 -0.054]			[-0.922 -0.054]		
(b) No false positives	p.e.	[-0.224, -0.142]		0.083	[-0.292, -0.142]		0.150
	CI	[-0.340 -0.052]			[-0.401 -0.054]		

Strictly negative ATEs are in **bold**

Estimates of population bounds are corrected for finite sample bias

CI: Imbens-Manski 95% confidence intervals around true ATE



Thank you!



Appendix

Indicators of Mental Health Problems

NHIS asks sample adults about degree of **difficulty** with 12 daily activities (e.g., walking) and what health problem caused this

NHIS also asks whether adults are **limited** in performing 7 activities (e.g., personal care) and what health problem caused this

We create indicators for existence of:

- 1) **Mental health problem causing difficulty** with activities
- 2) **Mental health problem causing limitation** in activities

‘Problem’ includes depression, anxiety, ADD, bipolar, schizophrenia, etc.

Selected descriptive statistics (weighted):

Indicator	Mean	(Std.Dev.)
Adult has mental health problem causing difficulty	0.069	(0.253)
Adult has mental health problem causing limitation	0.083	(0.275)

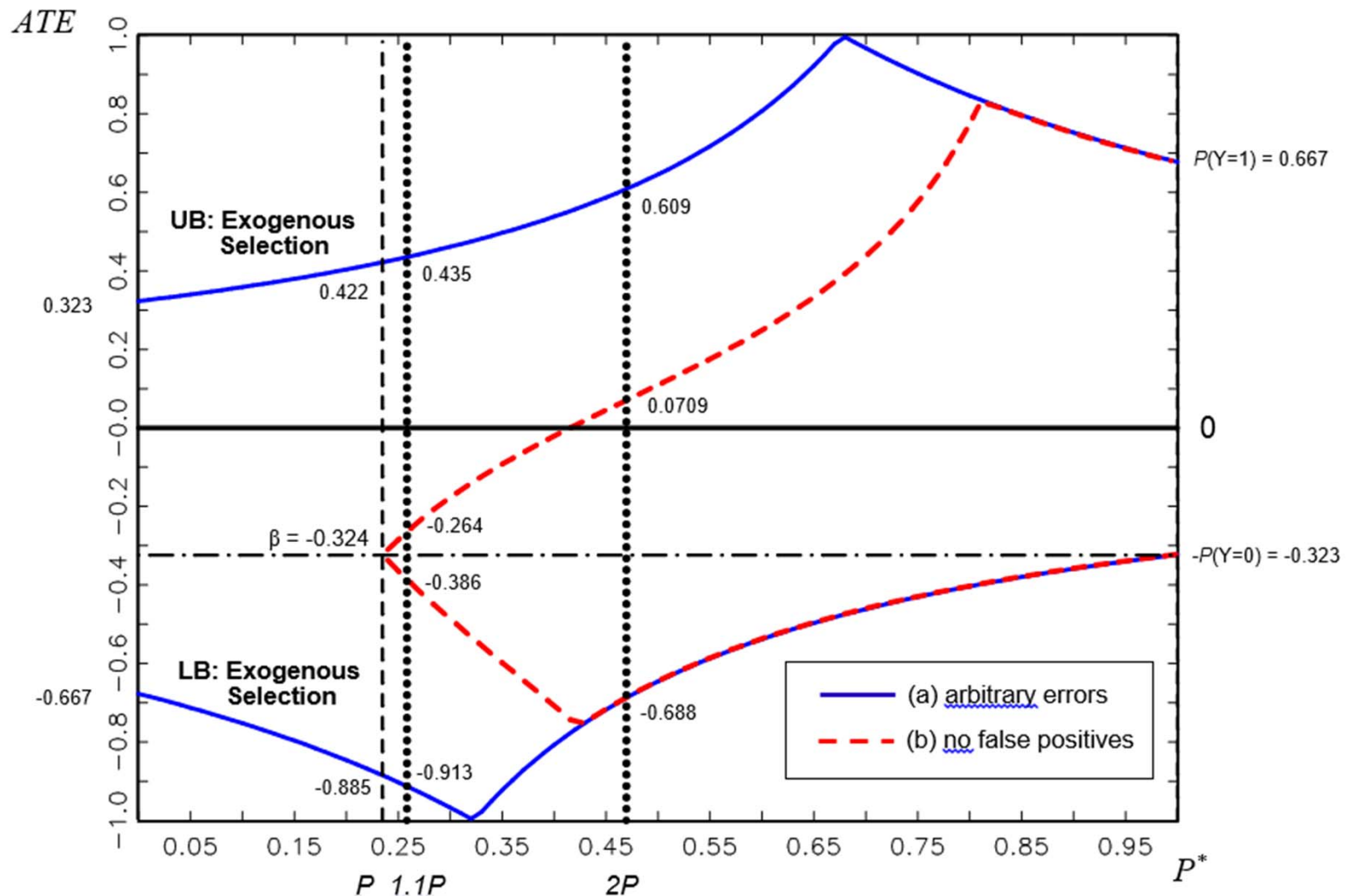
Food Security on Subsamples

Prevalence of food security (% , weighted) in subsamples by moderate/severe distress and SNAP participation:

		SNAP participation		(SNAP=Yes,·) – (SNAP=No,·)
Moderate or severe distress		No	Yes	
	No	83.03	65.46	-17.56
	Yes	49.43	39.11	-10.32
(Distress=Yes,·) – (Distress=No,·)		-33.60	-26.35	

Also, distress, mental health problem indicators are **positively associated** with SNAP participation

Bounds under Exogenous Selection (I)



Bounds under Exogenous Selection (II)

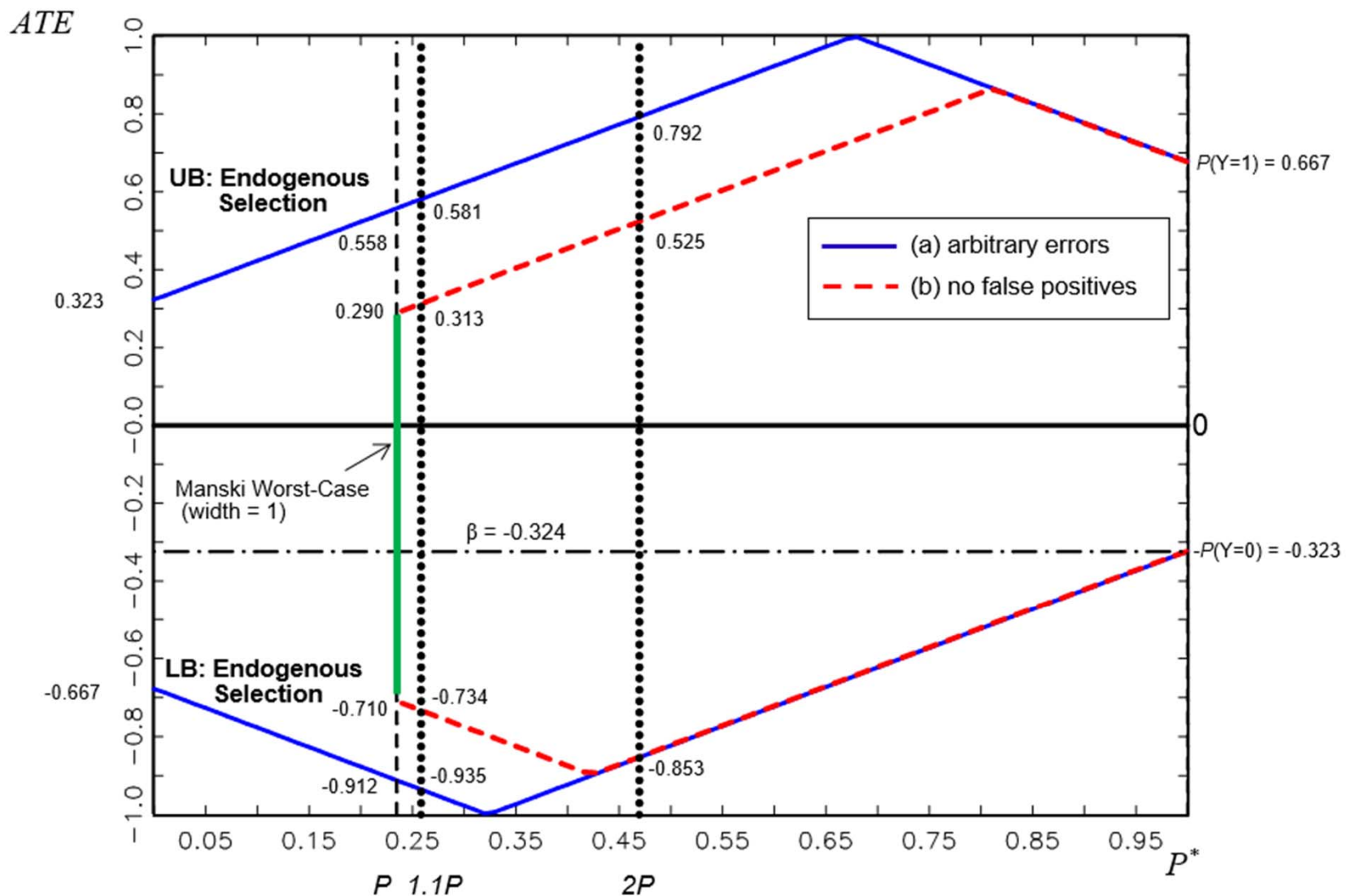
		Self-reported prevalence rate: $P^* = P = 0.235$			10% Underreporting of true prevalence rate: $P^* = 1.1P = 0.258$				
Exogenous selection			LB	UB	width		LB	UB	width
(a) <u>Arbitrary errors</u>	p.e. [†]	[-0.885, 0.422]			1.307		[-0.913, 0.435] 1.348		
	CI [‡]	[-0.894 0.431]					[-0.922 0.445]		
(b) <u>No false positives</u>	p.e.	[-0.324, -0.324]			0.000		[-0.386, -0.264] 0.123		
	CI	[-0.341 -0.308]					[-0.400 -0.250]		

Strictly negative average treatment effects in **bold**.

[†] Point estimates of the population bounds.

[‡] Imbens-Manski 95% confidence intervals around the true ATE.

Bounds under Endog. Selection: Graph



Income MIV + Other Assumptions

		Self-reported prevalence rate: $P^* = P = 0.235$			10% Underreporting of true prevalence rate: $P^* = 1.1P = 0.258$		
		LB	UB	width	LB	UB	width
MTS + Income MIV:							
(a) Arbitrary errors	p.e.	[-0.851, 0.476]		1.328	[-0.878, 0.500]		1.379
	CI	[-0.878 0.507]			[-0.901 0.530]		
(b) No false positives	p.e.	[-0.210, 0.189]		0.400	[-0.290, 0.213]		0.503
	CI	[-0.266 0.229]			[-0.331 0.252]		
MTS + Income MIV + MTR:							
(a) Arbitrary errors	p.e.	[-0.851, -0.0956]		0.756	[-0.878, -0.0956]		0.783
	CI	[-0.878 -0.0649]			[-0.901 -0.0649]		
(b) No false positives	p.e.	[-0.210, -0.0956]		0.115	[-0.290, -0.0956]		0.194
	CI	[-0.266 -0.0649]			[-0.331 -0.0649]		